Iterative Space Transformation Enables the Use of Optimal Magnetic Field Correction Algorithms Using EPI-based Field Maps

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Introduction: Estimations of the inhomogeneities in the main magnetic field in MRI can be used to correct errors such as warping and intensity artifacts in images acquired using echo-planar imaging (EPI) pulse sequences, which are often employed in functional MRI (fMRI) experiments. Two EPI images with different echo times can be used to estimate the magnetic field [1], but such a field will be in a “warped” coordinate space due to the distortions in the images used for estimation. While there are correction methods for using this type of field map [1,2], it is incompatible with methods shown to provide the best correction, especially in cases of large inhomogeneity [3,4]. These require a map in “non-warped” or true coordinate space, which is usually acquired with gradient-recalled echo (GRE) images. Through an iterative process described below, an EPI based field map can be effectively transformed into true coordinate space, allowing the application of a more effective correction scheme. This eliminates the need for a potentially lengthy GRE image acquisition for field map estimation. Also, because the field map can be estimated in-line with the experiment as described in [1], the potential for motion between the estimation of the field and the actual experiment is minimized.

Methods: The iterative procedure for transforming an EPI based field map estimated from two images, I₁ and I₂, acquired with TE₁ and TE₂; to true coordinate space is:

1. Perform a self-correction on the field map, i.e. correct the map with itself, using a method for EPI based field maps such as is described in [1] (our chosen method).
2. Correct both I₁ and I₂ using the result from 1 with a method utilizing a non-EPI based field map. The method used here is described in [3].
3. Recalculate a field map from the corrected versions of I₁ and I₂ from 2. When properly corrected, the calculated map should be close to zero everywhere. If the variation from zero is small, or if the change in variation from the previous iteration is small, the current iteration of the field map (result of 1) is the map in true coordinates. Otherwise, the “residual” map calculated in this step is added to the result of step 1 and this result becomes the input to 1 in the next iteration.

A simulation was used to verify the method. A theoretical magnetic field off-resonance map was generated to closely resemble a real map estimated with (result of step 3) for iteration 30. Most of the largest residuals correspond to areas where the field has not been completely transformed, the exception being the very edges of the object and near extremely large gradients in the field (top and bottom of the object).

Discussion: The field map used in this simulation was chosen to be an extreme case of inhomogeneity to demonstrate the limits of the method. The performance here is generally good, but demonstrates the problem presented by very large gradients in the field. It is worth noting that the same process described here was performed with the same field offset at half strength, and accuracy across the entire object within 1-2 Hz was achievable, even in the areas of strong gradient. Also important, Figure 2 also demonstrates a disconnect between the residual mean error and the true mean error as iterations increase. Performing more than 10-12 iterations provides no real value, but the residual metric continues to decrease, although both flatten out together.

References:

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Figure 1 (above). (a) and (b) show maps of magnetic field off-resonance and spin density as input to the simulation respectively. (c) and (d) depict absolute error between the transformed (or unwarped) map and the true magnetic field after 1 and 30 iterations respectively. (e) shows the absolute value of the “residual” map calculated in part 3 above after 30 iterations.

Figure 2 (left). Plots of mean absolute difference between the true field and the unwarped field (red) and the mean absolute residual (blue)